| Progression in written subtraction methods | | | | |
|--|--|---|--|--|
| KS1 | | | | |
| Reception | Year 1 | Year 2 | | |
| Children will subtract two numbers by taking one away from the other and counting how many are left. | Children will use cubes to continue the 'taking away' principle by counting back. Children will use cubes to help them progress to a number line | Children continue using base 10 and PV counters to build on their knowledge of 'taking away' and 'finding the difference'. e.g. 48 – 7 = | | |
| | 6 - 2 = 4 1 2 3 4 5 6 7 8 9 10 | 10s 1s 4 1 | | |
| Children start to draw the concrete resources they are using and cross out the correct amount. | Children will also look at 'finding the difference' which can sometimes be the most efficient method. | This will progress to two 2-digit numbers, crossing the tens boundary ready for the pictorial method. | | |
| XXXX XXX | | Then represent the pictorially. | | |



| Progression in written subtraction methods | | | | | |
|--|---|---|---|--|--|
| KS2 | | | | | |
| Year 3 | Year 4 | Year 5 | Year 6 | | |
| Children will use PV counters to build on their knowledge of exchanging ready for a formal 234-88 005 105 105 1 4 6 columnar method with 3-digit numbers. | Children will refine the columnar method and progress to 4 digit numbers, this method will continue the rest of the way through the school. | Children will use the columnar method for numbers with more than 4 digits and up to two decimal places. | Children will continue to use the columnar method extended up to $ \begin{array}{c} 6 & 5 & 5 & 2 & 2 & 4 \\ 6 & 5 & 7 & 6 & 0 & 5 & 4 & 0 & 3 & 2 & 4 \\ \hline 7 & 6 & 0 & 5 & 4 & 0 & 3 & 2 & 4 \\ \hline 7 & 6 & 0 & 5 & 4 & 0 & 3 & 2 & 4 \\ \hline 7 & 6 & 0 & 5 & 4 & 0 & 3 & 2 & 4 \\ \hline 7 & 7 & 4 & 1 & 3 & 0 & 1 & 3 & 2 \\ \hline 1 & 8 & 6 & 4 & 1 & 0 & 1 & 9 & 2 \\ \hline numbers with 3 decimal places. \end{array} $ | | |
| This then progresses to a formal columnar method involving exchanging: | This would be solved as follows: Starting with the ones column , if the number being subtracted is larger, a ten will be exchanged from the tens column and placed in front of the ones digit. | $ \begin{array}{r} 4 5 6 \cdot \frac{1}{2} \\ - 2 3 4 \cdot 1 6 \\ \hline 2 2 2 \cdot 0 8 \end{array} $ | | | |



| Sp 3 – 4 becomes 13- 4 = 9 once a ten is exchanged. | |
|---|--|
| The tens column: 4- 7 becomes 14-7 = 7 (tens) once a hundred is exchanged. | |
| The hundreds column : 5- 5 = 0 (hundreds) once a thousand is exchanged. Then the thousands column can be subtracted. | |
| The column method will also be applied to solving calculations with money up to 2 decimal places. | |
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